UNIVERSAL MECHANISM 9



User`s manual



Driveline Modeling

2020

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22. UM Module for driveline modeling

22.1. General information



Figure 22.1. 'About' window. List of available modules

Program package Universal Mechanism includes a specialized module **UM Driveline**, which contains force elements for simulation of drivelines e.g. in road, tracked, rail vehicles and other mechanical systems, Figure 22.1. The following elements are available in the module:

- Mechanical rotation converter with a constant ratio;
- Simplified model of a planetary drive;
- Fluid coupling;
- Hydraulic torque converter;
- Hydrostatic drive;
- Differential;
- Internal combustion engine.

22.2. Driveline elements

Here we consider special force elements, which are included in the UM Driveline module. Force elements described in this section connect two or three shafts. Usually, each of the shafts must have one rotational degree of freedom relative to the third body.

22.2.1. Mathematical models of force elements

22.2.1.1. Mechanical rotation converter

The element is used for simplified modeling a mechanical rotation converter with given transmission ratio i_{12} . In particular, the force element models gear trains, e.g. a gearbox. The element couples two rotating shafts: input 1 and output 2.

Equations of motion of the shafts:

$$J_1 \ddot{\varphi}_1 = -c(\varphi_1 - \varphi_2 i_{12}) - d(\omega_1 - w_2 i_{12}) + M_1,$$

$$J_2 \ddot{\varphi}_2 = -c\eta i_{12}^2(\varphi_2 - \varphi_1 i_{21}) - d\eta i_{12}^2(\omega_2 - \omega_1 i_{21}) + M_2 =$$

$$-i_{12}\eta \left(-c(\varphi_1 - \varphi_2 i_{12}) - d(\omega_1 - \omega_2 i_{12}) \right) + M_2,$$

$$\omega_1 = \dot{\varphi}_1, \omega_2 = \dot{\varphi}_2, i_{12} = i_{21}^{-1} = \omega_1 / \omega_2$$

Here c (Nm/rad), d (Nms/rad) are the stiffness and damping constants reduced to the input shaft; M_1, M_2 are the external load torques; J_1, J_2 are the shaft moments of inertia; $0 < \eta \le 1$ is the converter efficiency specifying the energy loss in the element.

Both shafts are connected with some third body by rotational joints with one degree of freedom. For instance, in the model of a car gearbox the first body is the input shaft and the second one is the output shaft; the shafts are connected to the car body by rotational joints. Rotation of the input shaft can be a prescribed time function.

Models:

{UM Data}\SAMPLES\LIBRARY\Driveline\MechConverter;

 $\underline{\{UM \ Data\}} \\ \underline{SAMPLES} \\ \underline{IBRARY} \\ \underline{Driveline} \\ \underline{MechConverter \ 1t}.$

In the second example the input shaft rotation is an explicit time function.

Adding element to a model: Sect. 22.2.2.1. "Data input for mechanical rotation converter", p. 22-16.

22.2.1.2. Fluid coupling

Let n_1, n_2 be the speeds of the input and output shafts (impeller and turbine), the transmission ratio is $i = n_2/n_1$. The torque transmitted by the coupling is

$$T = \lambda_M \rho n_1^2 D^5,$$

where

D is the impeller diameter,

 ρ is the fluid density,

 $\lambda_M(i)$ is the torque coefficient which value depends of the ratio *i*, Figure 22.2.





In UM the following model of the torque is used:

$$M = k_M \lambda_M \omega_1^2,$$

where ω_1 is the turbine (output) angular velocity in rad/s. The user specifies the plot $\lambda_M(i)$ and the factor k_M .

For instance, let the data units are T (NM), $\rho(\text{kg/m}^3)$, D(M), n (rpm). Taking into account that the speed in rpm and angular velocity are connected by the expression $n = \frac{30\omega}{\pi}$ we obtain

$$M = (30\,\omega_1/\pi)^2 \rho D^5 \lambda_M,$$

i.e.

$$k_M = (30/\pi)^2 \rho D^5 = 91.2 \rho D^5$$

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Fluid Coupling</u>.

Adding element to a model: 22.2.2.2. "Data input for fluid coupling", p. 22-17.

Internet source: <u>http://en.wikipedia.org/wiki/Fluid_coupling</u>.

22.2.1.3. Hydraulic torque converter. Combined torque converter

Let n_1, n_2 be the speeds of the input and output shafts (impeller and turbine), the transmission ratio is $i = n_2/n_1$. The torque on the impeller (M_1) and turbine (M_2) are

$$M_1 = \lambda_{M1} \rho n_1^2 D^5,$$

$$M_2 = \lambda_{M2} \rho n_2^2 D^5$$

where

D is the converter diameter,

 ρ is the fluid density,

 λ_{M1} , λ_{M2} are the torque coefficients which value depends of the ratio *i*.

In addition, the following characteristics are in use:

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• Torque ratio

$$K = \frac{M_2}{M_1}$$

• Efficiency

$$\eta = \frac{M_2 n_2}{M_1 n_2} = Ki$$

Thus, the torque converter model can be described in several ways. Here are the equivalent converter description variants (the dependences of characteristics on *i*):

- a) $\lambda_{M1}, \lambda_{M2}$
- b) λ_{M1}, K
- c) λ_{M2}, K
- b) λ_{M1}, η
- c) λ_{M2}, η

The element can be used for modeling a combined torque converter, i.e. a combination of the torque converter and the fluid coupling, Figure 22.3.



Figure 22.3. Example of combined torque converter characteristics

In UM the following model of the torques is used:

$$M_1 = k_M \lambda_{M1} \omega_1^2$$
$$M_2 = k_M \lambda_{M2} \omega_2^2,$$

where ω_1, ω_2 are the angular velocities of the impellor and turbine in rad/s. The user defines one of the pair of curves a)-c) as well as the factor k_M so that the torques are measured in Nm.

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Hydraulic Torque Converter</u>.

Adding element to a model: 22.2.2.3. "Data input for hydraulic torque converter", p. 22-18.

Internet source: http://en.wikipedia.org/wiki/Torque converter.

22.2.1.4. Hydrostatic drive

One of possible design of the hydrostatic drive is shown in Figure 22.4:

- 1 variable displacement reversible pump
- 2-reversible motor
- 3 pressure relief valves
- 4-7 charge system
 - 4: charge pump
 - 5: relief valve
 - 6: check valves
 - 7: reservoir



Figure 22.4. Hydrostatic drive

The following mathematical model of the hydrostatic drive is implemented:

$$\begin{cases} \frac{dp}{dt} = \frac{E}{V} \left(-rp + q_p e_p \omega_p - q_m e_m \omega_m \right), p < p_{u,\max} - p_l \\ \frac{dp}{dt} = 0, p > p_{\max} - p_l \\ M_p = -v_p \omega_p - q_m e_p p \\ M_m = -v_m \omega_m + q_m e_m p \\ p = p_u - p_l \end{cases}$$

Indices p, m correspond to the pump and motor respectively. The following designations are introduced:

p is the difference of pressures in the high p_u and low p_l sides; $p_{u,max}$ is the maximal pressure (relief pressure): when the pressure in the high side exceeds the maximal one, the relief valve opens; it is assumed that p_l is equal to the charge pressure;

 ω_p , ω_m are the pump and motor angular velocities, rad/s;

 M_p , M_m are the hydraulic torques acting on the pump and motor shafts, Nm;

E is the fluid bulk modulus, Pa;

V is the volume of the high or low sides, which assumes to be equal, m^3 ;

r is the total leakage coefficient, $m^5/N/s$;

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 q_p , q_m are the maximal pump and motor displacements, m³;

 $e_p, e_m \in [-1,1]$ are the displacement factors (control parameters) depending on the swash plate angle; $e_m = 1$ if the motor has a constant displacement;

 v_p , v_m are the damping coefficients, Nms.

To estimate influence of the model parameters on dynamic properties of the hydraulic drive, consider a simple dynamic model consisting of two shafts connected by the drive.

$$J_{p}\dot{\omega}_{p} = M_{1} - v_{p}\omega_{p} - q_{p}e_{p}p$$

$$J_{m}\dot{\omega}_{m} = -M_{2} - v_{m}\omega_{m} + q_{m}e_{m}p$$

$$\dot{p} = \frac{E}{V}(-rp + q_{p}e_{p}\omega_{p} - q_{m}e_{m}\omega_{m})$$
(*)

Here J_p , J_m are the moments of inertia of the input and output shafts, M_1 , M_2 are the external torques, M_2 is the output shaft load.

Removing external torques and setting zero values to parameters r, v_p , v_m we obtain the following system of linear differential equations:

$$J_p \dot{\omega}_p = -q_p e_p p$$
$$J_m \dot{\omega}_m = q_m e_m p$$
$$\dot{p} = \frac{E}{V} (q_p e_p \omega_p - q_m e_m \omega_m)$$

Differentiation of the third equation and substitution of the first two equations result in the equation of pressure oscillation

$$\ddot{p} = -\frac{E}{V} \left(\frac{q_p^2 e_p^2}{J_p} + \frac{q_m^2 e_m^2}{J_m} \right) p.$$

Thus, compressibility of the fluid introduce into the model the frequency

$$f_p = \frac{1}{2\pi} \sqrt{\frac{E}{V} \left(\frac{q_p^2 e_p^2}{J_p} + \frac{q_m^2 e_m^2}{J_m}\right)}$$
 Hz.

Consider a numeric example.

Let V=200 cm³, $q_p = q_m = 16$ cm³, $J_p = J_m = 1$ kgm², $e_p = e_m = 1$, $E = 1.5 * 10^9$ Pa. In this example the frequency is f = 9.86 Hz.

Let us simplify equations (*) assuming that the pump shaft rotates with a constant speed.

$$J_m \dot{\omega}_m = -M_2 - v_m \omega_m + q_m e_m p$$

$$\dot{p} = \frac{E}{V} \left(-rp + q_p e_p \omega_p - q_m e_m \omega_m \right)$$
(**)

Consider a stationary solution of equations (**) by neglecting the leakages

$$0 = -M_2 + q_m e_m p$$

$$0 = -rp + q_p e_p \omega_p - q_m e_m \omega_n$$

Here are the stationary values of the pressure and output angular velocity:

$$p = \frac{M_2}{q_m e_m}$$
$$\omega_m = \frac{q_p e_p}{q_m e_m} \omega_p - \frac{r M_2}{(q_m e_m)^2}$$

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Decrease of the output speed in comparison with the ideal value

$$\omega_m = \frac{q_p e_p}{q_m e_m} \omega_p$$

allows estimating the leakage r.

Finally, from the linear part of equations (**) we obtain the equation for computation of eigenvalues

$$\lambda^2 + \left(\frac{rE}{V} + \frac{v_m}{J_m}\right)\lambda + \frac{(q_m^2 e_m^2 + v_m r)E}{VJ_m} = 0.$$

The eigenvalues can be used for adjusting the damping parameter v_m .

Remark. Rotation of the input shaft can be set by an explicit time function.

Adding element to the model: Sect. 22.2.4. "*Data input for hydrostatic drive*", p. 22-21. Internet source: <u>http://en.wikipedia.org/wiki/Hydraulic_drive_system</u>

22.2.1.5. Epicyclic or planetary gearing



Figure 22.5. Planetary gearing schemes: sun gear 1, ring gear or *annulus* 2, carrier 3, planet gears 4

The force element is used for simplified modeling planetary gearing of four types shown in Figure 22.5. Simplification consists in neglecting the inertia properties of planet gears, i.e. it is assumed that kinetic energy of planets is small compared to energy of other parts and shafts. The model takes into account the compliance of teeth and bearings by introduction of an equivalent stiffness constant c [1]

$$c = \frac{1}{\frac{1}{c_1} + \frac{i_4^2}{c_2} + \frac{(1 - i_4)^2}{c_3}},$$

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$$i_4 = \frac{r_1 - r_3}{r_2 - r_3}.$$

Here c_1, c_2, c_3 (H/M) are the summarized spring constants in the planet/sun and plan-

et/annulus toothing as well in planet gear bearings, r_1, r_2, r_3 are the radii of the sun, annulus gears and carrier. The summarized stiffness is equal to the stiffness of one toothing or bearing multiplied by the number of planet gears.

Consider a mathematical model of the element. Let us introduce the deflection

$$\Delta = r_1 \Delta \varphi_1 - i_4 r_2 \Delta \varphi_2 - (1 - i_4) r_3 \Delta \varphi_3,$$

$$\Delta \varphi_i = \varphi_i(t) - \varphi_i(0), i = 1, 2, 3.$$

It can be shown that the moments acting from the planet gears to other gears are

$$M_1 = -cr_1\Delta,$$

$$M_2 = cr_2i_4\Delta,$$

$$M_3 = cr_3(1 - i_4)\Delta$$

and the natural frequency of free vibration of the mechanism is equal to

$$\omega = \sqrt{c\left(\frac{r_1^2}{J_1} + \frac{r_2^2 i_4^2}{J_2} + \frac{r_3^2 (1 - i_4)^2}{J_3}\right)}.$$

Here J_1, J_2, J_3 are the moments of inertia of the sun gear, annulus and carrier. Experimental evaluation of this frequency allows estimating the value of stiffness c

$$c = \frac{\omega^2}{\left(\frac{r_1^2}{J_1} + \frac{r_2^2 i_4^2}{J_2} + \frac{r_3^2 (1 - i_4)^2}{J_3}\right)}.$$

By locking one or two elements of the planet gearing, the natural frequency could be obtained from the above one by removing the corresponding summand. For example, if the sum gear is locked, the frequency results in

$$\omega_1 = \sqrt{c\left(\frac{r_2^2 i_4^2}{J_2} + \frac{r_3^2 (1 - i_4)^2}{J_3}\right)}.$$

A damping constant μ is introduced to specify the desired damping ratio β .

$$\begin{split} M_1 &= -cr_1\Delta - \mu r_1\dot{\Delta},\\ M_2 &= cr_2i_4\Delta + \mu r_2i_4\dot{\Delta},\\ M_3 &= cr_3(1-i_4)\Delta + \mu r_3(1-i_4)\dot{\Delta},\\ \mu &= \frac{2\beta c}{\omega}. \end{split}$$

Realistic values of the β parameter lie in the interval 0.01-0.1. The latter equations present the final mathematical model of the planet gearing in UM.

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Remark 1. Stiffness constants c_1, c_2 must be reduced to the tangent to the base circle. If α is the angle between the contact action line and the tangent to the base circle the toothing stiffness constant c_{ig} must be multiplied by $cos^2 a$, i.e. $c_i = nc_{ig}cos^2 a$, where *n* is the number of planet gears.

Example: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\PlanetaryGearing</u>.

Adding element to a model: 22.2.2.5. "Data input for planetary gearing", p. 22-22.

22.2.1.6. Differential



Figure 22.6. Differential: pinion (input) shaft 0, axle shaft (side) gears, 1,2, crown (ring) wheel 3, pinion gears 4

The differential is modeled as a force element connecting the input and axle shafts, Figure 22.6. Two models of differential are recommended to be used. The first model named Differential V1, includes all elements shown in Figure 22.6. The second model named Differential V2 excludes the input shaft 0 and the corresponding toothing input pinion – crown wheel, which must be included in a separate element e.g. the mechanical rotation converter.

22.2.1.6.1. Differential V1

Similar to the planetary gearing, Sect. 22.2.1.5. "Epicyclic or planetary gearing", p. 22-10, the mathematical model of the differential is simplified by neglecting the inertia properties of the crown wheel, crown wheel housing and pinion gears, i.e. it is assumed that their contribution in kinetic energy is small. The model takes into account the compliance of side gears (1,2) and pinion teeth (4) as well as pinion (4) bearings by introduction of an equivalent stiffness constant c. As opposed to the planetary gearing, the expression for the equivalent stiffness is more complicated and it depends on the differential design. It is recommended an experimental evaluation if the stiffness, or computation based on the mechanism design.

Consider a mathematical model of the element. Let us introduce the deflection

$$\begin{split} \Delta &= r_0 \Delta \varphi_0 - \frac{r_3}{2} \Delta \varphi_1 - \frac{r_3}{2} \Delta \varphi_2, \\ \Delta \varphi_i &= \varphi_i(t) - \varphi_i(0), i = 0, 1, 2. \end{split}$$

It can be shown that the moments acting on the input and output shafts are

$$M_0 = -cr_0\Delta,$$

$$M_1 = c\frac{r_3}{2}\Delta,$$

$$M_2 = c\frac{r_3}{2}\Delta,$$

and the natural frequency of free vibration of the mechanism is equal to

$$\omega = \sqrt{c\left(\frac{r_0^2}{J_0} + \frac{r_3^2}{4J_1} + \frac{r_3^2}{4J_2}\right)}.$$

A damping constant value is computer by the given damping ratio like in the case of the planetary gearing.

By locking one or two elements of the planet gearing, the natural frequency could be obtained from the above one by removing the corresponding summand. The value of the equivalent stiffness can be obtained from the experimental measures frequency or from a static experiment. Let two of three shafts are locked and a definite torque M is applied to the third shaft. Then the stiffness can be evaluated by the shaft rotation angle. For instance, if both of the output shafts are fixed, and a torque M is applied to the input shaft, the equivalent stiffness is computed according to the formula

$$c=\frac{M}{r_0^2\Delta\varphi_0},$$

where $\Delta \varphi_0$ is the rotation angle of the input shaft.

If a field experiment is impossible, it is recommended to create a detailed model of the mechanism in UM in which all of the gears are rigid bodies connected by compliant force elements. After that the equivalent stiffness can be evaluated from the computer experiment.

22.2.1.6.2. Differential V2

This model is simpler than V1 because the input shaft 0 is excluded in the model. The input body is the crown wheel housing. Inertia properties of pinion gears are neglected. The model takes into account the compliance of side gear (1,2) and pinion (4) teeth and pinion bearings by introduction of an equivalent stiffness constant c

$$c = \frac{1}{\frac{1}{2c_b} + \frac{1}{4c_t}},$$

Here c_b is the pinion bearing stiffness reduced to the pinion plane, and c_t is the pinion/gear stiffness constant.

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Consider a mathematical model of the element. Let index 0 now indicates the crown housing. Introduce the deflection

$$\Delta = r_s \left(\Delta \varphi_3 - \frac{1}{2} \Delta \varphi_1 - \frac{1}{2} \Delta \varphi_2 \right),$$

$$\Delta \varphi_i = \varphi_i(t) - \varphi_i(0), i = 0, 2, 3,$$

$$r_1 = r_2 = r_s$$

Here r_s is the side gear radius.

It can be shown that the torques acting on the crown housing and axle shafts are

$$M_0 = -cr_s\Delta,$$

$$M_1 = c\frac{r_s}{2}\Delta,$$

$$M_2 = c\frac{r_s}{2}\Delta,$$

and the natural frequency of free vibration of the mechanism is equal to

$$\omega = \sqrt{cr_s^2 \left(\frac{1}{J_0} + \frac{1}{4J_1} + \frac{1}{4J_2}\right)}.$$

A damping constant value is computer by the given damping ratio like in the case of the planetary gearing.

22.2.2. Description of driveline elements in UM Input program



Figure 22.7. Driveline elements in the list of special forces

Driveline elements described in the previous section are available in the section of special forces of the **UM Input** program, Figure 22.7.

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Name	Mechanical converter							
Comr	nent/Text at	ttribute	e C	-	-	<u> </u>		
Body1			Body2					
Body1		-	Body2			-		
Туре	😵 Mechan	ical c	on∨erter	of rot	ation	•		
Joint 1:	: jBody1							
Joint 2:	: jBase0_Bo	ody2						
i12		i12			С			
CStiff (I	Nm)	cstiff			С			
CDiss	(Nms/rad)	cdiss	3		С			
Efficier	ncy	eff			С			

22.2.2.1. Data input for mechanical rotation converter

Figure 22.8. Parameters of mechanical rotation converter

Mathematical model of the element: Sect. 22.2.1.1. "Mechanical rotation converter", p. 22-5.

Description of the element includes the following data, Figure 22.8.

- Assignment of two bodies: *Body1* as the input shaft and *Body2* as the output shaft. Each of the shafts must be connected to a third body by a rotational joint. A joint for the input shaft can describe the rotation as explicit time function. The program detects the corresponding joints and shows their names in the element window, *Joint* 1 and *Joint* 2 in Figure 22.8.
- Setting converter parameters (numerical values or parameterized constant expressions):
 - transmission ratio: $i_{12} = \frac{\omega_1}{\omega_2}$. If it is necessary to change the direction of rotation of the output, the sign of the ratio can be changed;
 - stiffness constant reduced to the input shaft, Nm;
 - damping constant reduced to the input shaft, Nms/rad;
 - element efficiency (energy loss in the element), $0 < \eta \le 1$.

Models:

<u>{UM Data}\SAMPLES\LIBRARY\Driveline\MechConverter;</u> <u>{UM Data}\SAMPLES\LIBRARY\Driveline\MechConverter 1t.</u>

22.2.2.2. Data input for fluid coupling



Figure 22.9. Parameters of fluid coupling



Figure 22.10. Fluid coupling characteristic: torque coefficient vs. speed ratio

Mathematical model of the element: Sect. 22.2.1.2. "Fluid coupling", p. 22-5.

Description of the element includes the following data, Figure 22.9.

- Assignment of two bodies: *Body1* as the input shaft (impeller) and *Body2* as the output shaft (turbine). Each of the shafts must be connected to a third body by a rotational joint with one degree of freedom. The program detects the corresponding joints and shows their names in the element window, *Joint* 1 and *Joint* 2 in Figure 22.9.
- **Factor** k_M .

Description of the torque coefficient versus speed ratio $i = n_2/n_1$ in the curve editor, Figure 22.10 available by the solution.

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Fluid Coupling</u>.

22.2.2.3. Data input for hydraulic torque converter

			1111 🕅				
Name Torque converter							
Comment/Tex	t attribute C						
Body1	Body2						
Shaft1	Shaft2		•				
Type 🏵 Hydra	aulic torque con∨	erter	•				
Joint 1: jShaft1							
Joint 2: jShaft2							
Data type							
Mi, Mt	🔘 Mi, e	ff.					
MI, K Mt, K	O Mt e	Π.					
Factor	sqr(30/pi)*ro*Da	.^5*(1.0e-5)) [
Curve 1	Number of point	s: 11					
Curve 2	Number of point	s: 11					
<u>~</u>							

Figure 22.11. Parameters of torque converter

Curve editor			_ D X
╘╤╓े,�、� ≑ न∥ ⊾		🖬 🇮 F Spline	🚽 y' y" K
	·	B ⁺ B ⁻	
16		N X	Y Type
14	<u> </u>	1 0	1.65 L
		2 0.1	1.66 S
1 2		3 0.2	1.668 S
	+ +	4 0.3	1.675 S
-1		5 0.4	1.68 S
		6 0.5	1.675 S
0.8		7 0.6	1.663 S
0.6-		8 0.7	1.62 S
		9 0.8	1.5 S
0.4			1.1 S
			U S
0.2		<	4
0.2 0.4	0.6 0.8	ОК	Cancel
(1.059 :	-0.11)		th.

Figure 22.12. Example of the impeller torque coefficient vs. speed ratio

Curve editor				_ 🗆 🗙
		🖵 🏢 F 🛛	_ine 🔹	9' 9" K K
*101		e e		
0.35		N	X Y	Тур 🔺
		1	0 3.	8 L 🗐
		2	0.1 3.3	34 S
		3	0.2 2.8	85 S
		4	0.3 2.4	4 S
0.25		5	0.4 1.5	98 S
		6	0.5 1.	65 S
0.2	<u>k</u> +	7	0.6 1.4	4 S
		8	0.7 1.3	2 S
0.15			0.8 1.	05 S 🔻
		•	111	Þ
0.1		<u> </u>	ОК	Cancel
(-0.10	51 : 2.69)	1		

Figure 22.13. Example of torque ratio vs. speed ratio

Mathematical model of the element: Sect. 22.2.1.3. "Hydraulic torque converter. Combined torque converter", p. 22-6.

Description of the element includes the following data, Figure 22.11.

- Assignment of two bodies: *Body1* as the input shaft (impeller) and *Body2* as the output shaft (turbine). Each of the shafts must be connected to a third body by a rotational joint with one degree of freedom. The program detects the corresponding joints and shows their names in the element window, *Joint* 1 and *Joint* 2 in Figure 22.11.
- Data type: Selection of a variant of data description where Mi, Mt stand for the impeller or turbine torque coefficients, *K* is the torque ratio, and *eff*. is the efficiency.
- Factor k_M .
- One of five possible description of torque converter characteristics versus speed ratio $i = n_2/n_1$ in the curve editor available by the \square buttons. For instance, the curves for the impeller torque coefficient and the torque ratio are shown in Figure 22.12, Figure 22.13.

Use the 🖾 button to view plots of all converter characteristics, Figure 22.14.



Figure 22.14. Characteristics of a combined torque converter

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Hydraulic Torque Converter</u>.

Name Hydrostatic urive	<u>-1-5 <u>-1-5</u> <u>-1-5</u></u>
Comment/Text attribute C	
Body1 Body2	
Shaft1 - Shaft2	-
	•
Joint I: jShafti	
Joint 2: jShaft2	
Parameter	Value
Chamber volume (cm^3)	200
Max pump displacement (cm^3)	16
Max drive displacement (cm^3)	16
Pump control parameter	pump_control
Drive control parameter	1
Relief pressure (MPa)	50
Replenish pressure (MPa)	0.6
Pump damping (Nm s/rad)	d_pupm
Dri∨e damping (Nm s/rad)	d_motor
Bulk modulus (N/m^2)	1.5e9
Leakage coefficient (m^5/N/c)	leakage
Pressure scale factor	1e-6

22.2.2.4. Data input for hydrostatic drive

Figure 22.15. Parameters of hydrostatic drive

Mathematical model of the element: Sect. 22.2.1.4. "Hydrostatic drive", p. 22-8.

Description of the element includes the following data, Figure 22.15.

- Assignment of two bodies:
 - Body1 as the input (pump) shaft
 - *Body2* as the output (motor) shaft

Each of the bodies must be connected to a third body by a rotational joint. The program detects the corresponding joints and shows their names in the element window, *Joint* 1 and *Joint* 2 in Figure 22.16. Rotation of the input shaft can be an explicit time function.

- Setting the drive parameters (numerical values or parameterized constant expressions):
 - Chamber volume V (cm^3);
 - Max pump displacement q_p (cm³);
 - Max drive displacement q_m (cm³);
 - Pump control parameter $e_p \in [-1,1]$; it is recommended to use an identifier for parameterization of the parameter in case of the variable displacement pump;
 - Drive control parameter $e_m \in [-1,1]$; it is recommended to use an identifier for parameterization of the parameter in case of the variable displacement motor;
 - Relief pressure (MPa);
 - Charge pressure (MPa);
 - Pump damping v_p (Nm s/rad);
 - Drive damping v_m (Nm s/rad);

- Bulk modulus E (N/m^2) ;
- Leakage coefficient r ($m^5/N/s$);
- Pressure scale factor in equations of the drive during simulation; it is recommended to compute the pressure value in MPa; in this case the factor is equal to 10^{-6} .

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Hydrostatic drive</u>.

22.2.2.5. Data input for planetary gearing

		🔀				
Name sFrc1	- <u>1</u> -t + + <u>1</u> -t	-)-5				
Comment/Text attribute C		_				
Body1 Bo	idy2					
Sun 🖌 Ar	nulus	•				
Type 🛃 Planetary gearin	g	•				
Carrier Pl	anet carrier	-				
Joint 1: jSun						
Joint 2: jAnnulus						
Joint 3: jPlanet carrier						
Type of mechanism						
Planetary gearing						
◯ Differential ∨1						
O Differential V2			Stopped	f Hz	Bota	
Parameter	Value		(-)	2453.44	0.0500	
Sun gear radius (m)	r1		ň	2258.94	0.0460	
Annulus radius (m)	r2		(2)	2439.41	0.0497	
Planet carrier radius (m)	r3		(3)	992.56	0.0202	
Equi∨alent stiffness (N/m)	cstiff		(1,2)	2243.70	0.0457	
Damping ratio	beta		(1,3)	261.99	0.0053	
			(2,3)	957.36	0.0195	

Figure 22.16. Parameters of planetary gearing

Mathematical model of the element: Sect. 22.2.1.5. "Epicyclic or planetary gearing", p. 22-10.

Description of the element includes the following data, Figure 22.16.

- Assignment of three bodies:
 - \circ *Body1* as the sun wheel
 - \circ *Body2* as the annulus
 - Carrier body

Each of the bodies must be connected to a third body by a rotational joint. The program detects the corresponding joints and shows their names in the element window, *Joint* 1, *Joint* 2 and *Joint* 3 in Figure 22.16.

- Setting the gearing parameters (numerical values or parameterized constant expressions):
 - o wheel radii, m;

- equivalent stiffness constant, N/m;
- \circ damping ratio.

After input of the gearing train parameter, the program computes natural frequency of the mechanism as well as damping ratio for seven possible cases (Figure 22.16): all shafts are free (-), one or two shafts are locked, e.g. (2) – locked the annulus, (1,2) – locked the sun wheel and the annulus.

Model: <u>{UM Data}\SAMPLES\LIBRARY\Driveline\Planetary Gearing</u>.

Name Differential Comment/Text attribute C Body1 Body1 Sun Ani Type Planetary gearing Second axle shaft Planetary gearing Joint 1: jSun Joint 2: jAnnulus Joint 3: jPlanet carrier Type of mechanism Planetary gearing O Differential V1 Differential V2	小学 竹堂 」 dy2 hulus	Name Differential Comment/Text attribute Body1 E Sun ✔ Planetary gear Second axle shaft Joint 1: jSun Joint 2: jAnnulus Joint 3: jPlanet carrier Type of mechanism ♥ Planetary gearing ♥ Differential ∨1 ♥ Differential ∨2	C Body2 Annulus Planet carrier
Parameter	Value	Parameter	Value
Input pinion radius r0 (m)	r1	Radius of side gear rs	r1
Skip		Skip	
Crown wheel radius r3 (m)	r3	Skip	
Equivalent stiffness (N/m)	cstiff	Equivalent stiffness (N/m) cstiff
Damping ratio	beta	Damping ratio	beta

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22.2.2.6. Data input for differential

f Hz	Beta
500.77	0.1000
150.99	0.0302
489.26	0.0977
489.26	0.0977
106.76	0.0213
106.76	0.0213
477.46	0.0953
	f Hz 500.77 150.99 489.26 489.26 106.76 106.76 477.46

Figure 22.17. Parameters of differential

Mathematical model of the element: Sect. 22.2.1.6. "Differential", p. 22-12.

In UM the differential is implemented as a particular case of the planetary gearing. Description of the element includes the following data.

- Assignment of three bodies:
 - \circ *Body1* as the input shaft;
 - *Body2* as first output shaft;
 - Second output shaft instead of the carrier.

Each of the bodies must be connected to a third body by a rotational joint. The program detects the corresponding joints and shows their names in the element window, *Joint* 1, *Joint* 2 and *Joint* 3 in Figure 22.16.

- Type of differential model V1 or V2, Sect. 22.2.1.6. "Differential", p. 22-12.
- Setting the gearing parameters (numerical values or parameterized constant expressions):
 - o input shaft gear (pinion) radius, m (Differential V1);
 - o crown wheel radius, m (Differential V1);

- o radius of side gear, m (Differential V2);
- equivalent stiffness constant, N/m;
- \circ damping ratio.

After input of the gearing parameter, the program computes natural frequency of the mechanism as well as damping ratio for seven possible cases (Figure 22.16): all shafts are free (-), one or two shafts are locked, e.g. (2) – locked the first output shaft, (2,3) – locked both first output shafts.

22.2.3. Use of standard UM Base elements in transmission model

Many components of a driveline can be modeled by standard UM elements.

22.2.3.1. Gear trains

The *Gearing* special force element allows the user to describe gear trains consisting of any number of gear, see <u>Chapter 2</u>, Sect. *Special forces / Gearing*.

A planetary gearing based on modeling each of the gears and toothings is considered in the model <u>{UM Data}\SAMPLES\LIBRARY\Driveline\PlanetaryGearing MBS</u>.

Similar model for a differential is <u>{UM Data}\SAMPLES\Mechanisms\final_drive</u>.

Usually such models have much more degrees of freedom than the simplified elements *Me*chanical rotation converter, Epicyclic or planetary gearing and Differential described in this chapter.

22.2.3.2. Chain gear

The *Chain gear* special force element allows the user to describe the corresponding element of a transmission, see <u>Chapter 2</u>, Sect. *Special forces / Chain gear*.

Model: <u>{UM Data}\SAMPLES\LIBRARY\ChainGear</u>.

22.2.3.3. Cardan shaft

A cardan joint is modeled either by a six d.o.f joint or by generalized joint, see <u>Chapter 2</u>, Sect. *Description of joints | Six d.o.f joint, Description of joints | Generalized joint.* Model: <u>{UM Data}\SAMPLES\Mechanisms\universal_joint.</u>

22.2.3.4. Friction clutch

A friction clutch is modeled by the friction scalar force element as a joint torque or as a scalar torque, see <u>Chapter 2</u>, Sect. Force elements / Joint forces and torques, Force elements / Scalar torque, Force elements / Types of scalar forces/ Friction force.

Model: <u>{UM Data}\SAMPLES\Mechanisms\clutch</u>.

22.3. Internal combustion engine

22.3.1. Mathematical model of internal combustion engine

22.3.1.1. ICE parameters

The UM model of internal combustion engine (ICE) is a torque Me applied to the engine crankshaft. The value of the torque depends on the shaft speed $n_e \in [n_{min}, n_{max}]$, position of the throttle $\beta \in [0,100\%]$,

$$M_e = M_e(M_e, \beta)$$

The following notations for engine characteristics are used below:

N – engine output power;

 n_N – output power speed, rpm;

 $M_N = \frac{N}{n_{\pi}\pi/30}$ - torque at output power (Nm);

 $M_{\rm max}$ – maximal torque (Nm);

 n_M – maximal torque speed, rpm;

 n_{\min} – minimal speed, rpm;

 n_0 – idle engine speed without load (spark ignition engine), rpm;

 $m_{\rm cvl}$ – number of cylinders;

 $m_{\rm str}$ – number of strokes;

 V_h – capacity (L);

 l_{str} – piston stroke (m);

 p_{fmep} – friction main effective pressure (MPa);

 $k_M = \frac{M_N}{M_{\text{max}}}$ – maximal torque ratio; $k_n = \frac{n_M}{n_N}$ – maximal torque/power speed ratio.

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22.3.1.2. Full load torque-speed curve



Figure 22.18. Full load torque (β =100%) and lost torque to friction (β =0%)

The full load torque-speed characteristic of ICE is the quasi-static dependence $M_e = M_e(n_e, 100\%)$, which corresponds to $\beta = 100\%$, Figure 22.18.

The full load torque curve can be described by a set of points from the experimental data of approximately according to the analytic formula for the power (Leiderman's formula)

$$N_e = N \frac{n_e}{n_N} \left(a + b \frac{n_e}{n_N} - c \left(\frac{n_e}{n_N} \right)^2 \right).$$

This formula can be writer for the torque as

$$M_e = M_N \left(a + b \frac{n_e}{n_N} - c \left(\frac{n_e}{n_N} \right)^2 \right).$$
(22.1)

Recommended values of a, b, c parameters in Eq. (22.1)

• Petrol engine:

$$a = b = c = 1, k_n = 1$$

- Diesel engine:
- 1. General formula, Variant 1

$$c = 1, b = \frac{2 - k_M - k_n^2}{1 - k_n}, a = 2 - b;$$

Where

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$$k_n = \frac{n_M}{n_N}.$$

In this variant $M_e(n_N) = M_N, M_e(n_M) = M_N/k_M$, but $M_e(n_M)$ is not the maximal output torque.

2. General formula, Variant 2

$$b = \frac{1/k_M - 1}{0.5/k_n + 0.5k_n - 1}, c = \frac{b}{2k_n}, a = 1 + c - b$$

In this variant $M_e(n_N) = M_N$, $M_e(n_M) = M_N / k_M$, and $M_e(n_M)$ is the maximal output torque, i.e.

$$\left.\frac{dM_e}{dn_e}\right|_{n_M} = 0$$

- 3. Direct injection diesel a = 0.87, b = 1.13, c = 1
- 4. Prechamber diesel a = 0.6, b = 1.4, c = 1
- 5. Swirl-chamber diesel a = 0.7, b = 1.3, c = 1

Example. Diesel Kamaz 740.10, Figure 22.19.

N = 154 kW, $n_N = 2600\,{\rm rpm},\ M_{\rm max} = 667$ Nm, $n_N = 1600\,{\rm rpm},\ m_{\rm cyl} = 8,\ m_{\rm str} = 4,$ $V_h = 10.85{\rm L}, l_{\rm str} = 120$



Figure 22.19. Analytic model of load torque for diesel Kamaz 740.10, Variant 1 (V1) and Variant 2 (V2)

22.3.1.3. Torque lost

Torque lost $M_{\rm f}$ corresponds to frictional resistance of engine. It is measured at the throttle position $\beta=0\%$, Figure 22.18. Friction torque is expressed in term of *friction mean effective pressure* (fmep) $p_{\rm fmep}$ as

$$M_f = \frac{1000 V_h}{\pi m_{\rm str}} p_{\rm fmep}$$

Here $m_{\rm str}$ is the number of strokes; V_h is the engine capacity (L).

Usually a linear dependence of the fmep on the engine speed ω (rad/s) is accepted

$$p_{\rm fmep} = p_0 + p_1 \frac{l_{\rm str}}{\pi} \omega$$
.

If the stroke length parameter is unknown, its approximate value can be obtained from the formula

$$l_{\rm str} \approx 0.108 \cdot \sqrt[3]{\frac{V_h}{m_{cyl}}}$$

Recommended values of parameters p_0, p_1 are

- petrol engine $p_0 = 0.045, p_1 = 0.015$
- diesel engine

 $p_0 = 0.105, p_1 = 0.013$

If experimental data on torque lost $M_{\rm f}$ are available, the direct formula can be applied

$$M_{\rm f} = M_{\rm fa} + M_{\rm fb}\omega$$

which requires evaluation of parameters M_{fa} , M_{fb}

22.3.1.4. Engine torque map

Engine torque map is the torque/speed dependences for different values of throttle position. Examples of the maps are shown in Figure 22.20, Figure 22.21, Figure 22.22.



Figure 22.20. Example: spark ignition engine map [2]



Figure 22.21. Example: spark ignition engine map [3]



Figure 22.22. Example: diesel engine map [4]

Engine torque map in UM is described by two different ways. First, if experimental curves like in Figure 22.21, Figure 22.22 are known, a set of curves is specified in a special editor. Otherwise, empirical analytic expression specifies an approximate dependence $M_e = M_e(n_e, \beta)$ basing on the analytic full load and lost torque curves.



22.3.1.4.1. Pointwise description of engine map

Figure 22.23. Example: pointwise engine map, β=100%, 79%, 76%, 49%, 37%, 24%, 12%

According to this type of the engine map description, a set of torque-speed curves are specified in the curve editor

$$\begin{split} M_{e} &= M_{e}(n_{e},\beta_{i}), \, i = 1,2...m_{M} \\ \beta_{1} &= 100\,\%, \, \beta_{m_{M}} = 0\%, \end{split}$$

The curves are supposed to be ordered in decrease of the throttle position, and the set of curves must include both the full load and lost torque curves. A spline interpolation is recommended for smoothing the curves. A linear interpolation is used for evaluation of torque for arbitrary values of the throttle position β

$$M_e(n_e,\beta) = \frac{M_e(n_e,\beta_i)(\beta_{i-1}-\beta) + M_e(n_e,\beta_{i-1})(\beta-\beta_i)}{\beta_{i-1}-\beta_i}, \, \beta \in [\beta_i,\beta_{i-1}]$$

In Figure 22.23 we have some simplified implementation of experimental data in Figure 22.21, and the interpolated curves are shown in Figure 22.24



Figure 22.24. Example: interpolation of map in Figure 22.23

Remark. In the case of a spark ignition engine, the curve for the idle throttle position β_0 must be included in the set of curves, Sect. 22.3.1.5.3. Otherwise, the accuracy of the interpolation for small β values is too low, and the engine stalls often by the start.



22.3.1.4.2. Analytic engine map for spark ignition engine

Figure 22.25. Example of analytic engine map for spark ignition engine, the form factor s=0.5





Figure 22.26. Influence of the form factor s

Analytic expression for spark ignition engine uses analytic representation of the full load and lost torque curves described in Sect. 22.3.1.2, 22.3.1.3. The map model depends on two additional parameters n^* and s

$$M_e = M_e(n_e, \beta, n^*, s)$$

The first parameter n^* is the special engine speed, for which extrapolation of the entire map curves in the region of low speeds intersect in one point, see Figure 22.25. The second parameter is the map form factor *s*. Its influence on the map curves is clear from Figure 22.26. Varying of the two parameters allows obtain a good approximation to the experimental map, which is appropriate for many applications, cf. Figure 22.20, Figure 22.21.



22.3.1.4.3. Analytic engine map for diesel engine







Figure 22.28. Influence of the form factor s on diesel torque map

Analytic expression for diesel engine uses analytic representation of the full load and lost torque curves described in Sect. 22.3.1.2, 22.3.1.3. The map model depends on one additional parameter s (the map form factor s)

 $M_e = M_e(n_e, \beta, s)$

Varying of the form parameter allows the user to obtain a good approximation to the experimental map, cf. Figure 22.22.

22.3.1.5. Engine governors

22.3.1.5.1. One-speed governor for spark ignition engines

Usually no speed governors or one-speed governors are used for road vehicles with a spark ignition engine. The one-speed governor regulates the maximal engine speed, Figure 22.29. The governor model requires one parameter: the speed droop in the controlled interval

$$\delta_{\max} = \frac{\Delta n_N}{n_N} \cdot 100\%$$



Figure 22.29. Torque map for engine with one-speed governor

22.3.1.5.2. Two-speed and all-speed governors for diesel engine

Two-speed (min-max) governors of diesel engines are usually used with cars, whereas allspeed (variable speed) governors are applied for engines on trucks, tractors, tracked vehicles, Figure 22.30, Figure 22.31.



Figure 22.30. Torque map for diesel engine with two-speed governor



Figure 22.31. Torque map for diesel engine with all-speed governor

Both two- and all-speed governor models require two parameters: the speed droop for the maximal and minimal speeds.

$$\delta_{\max} = \frac{\Delta n_N}{n_N} \cdot 100\%, \ \delta_{\min} = \frac{\Delta n_{\min}}{n_{\min}} \cdot 100\%$$

In the case of the all-speed governor, the controlled speed value n_c depends on the accelerator pedal position $\psi \in [0,1]$

$$n_c = n_{\min} \left(1 - \psi \right) + n_N \psi$$

The speed droop for an arbitrary value of the controlled speed value n_c is approximately computed as linear interpolation

$$\delta = \frac{\Delta n}{n_c} \cdot 100\% = \frac{\delta_{\min}(n_N - n_c) + \delta_{\max}(n_c - n_{\min})}{n_N - n_{\min}}$$

The speed droop for the maximal speed is $5 \div 8\%$, and it increases for lower controlled speeds up to 70% for minimal speed.

22.3.1.5.3. Accelerator pedal and throttle position

Positions of the pedal and engine throttle satisfy a first order differential equation

$$\tau_{\beta}\dot{\beta} + \beta = \beta_{st}(\psi)$$

where $\beta_{st}(\psi)$ % is the stationary dependence of the throttle position of the pedal state $\psi \in [0,1]$, τ_{β} is the lag in throttle reaction on the pedal position change. The default value is $\tau_{\beta} = 0.1s$.

The function $\beta_{\rm st}(\psi)$ is

$$\beta_{st}(\psi) = 100\psi$$

for diesel engines and

$$\beta_{\rm st}(\psi) = \beta_0(1-\psi) + 100\psi$$

for spark ignition engines. Here β_0 is the idle throttle position, which is computed from the equation

$$M_e(n_0,\beta_0) = 0$$

with n_0 as the idle engine speed without load.

22.3.1.6. Engine start and stalling

At engine start, the constant torque $M_{\text{start}} = M_e(n_{\min}, \beta = 1)$ is applied to the crankshaft. The start mode is over when $n_e = n_{\min}$.

In the case of manual transmission, the engine start fails if the transmission is not in neutral and the clutch is engaged.

Engine stalls if its speed decreases to a half of the minimal speed n_{\min} .

22.3.2. Adding ICE to model in UM Input program

To add an internal combustion engine to a multibody system, the user must specify a body corresponding to the engine crankshaft and parameterize the engine torque by an identifier.

Engine shaft is a rigid body, which has one rotational degree of freedom relative to another rigid body. The latter can be e.g. engine case, car body in case of road vehicle or a hull for a tracked vehicle.

* * * * * * * * * * * * * * * * * * * *		
Name ICE shaft	-14	💣 👯 🖧
<u>-Comm</u> ents/Text at	tribute C	
ice		
	1	
Oriented points	Vectors	3D Contact
Parameters	Position	Points
Go to element		T.
Image:	📝 Visib	le
Ice rotor		•
Compute auton	natically	
Inertia parameter	S	
Mass		C
Inertia tensor		
i_icerotor 🕒	C	C
	C	C
	[C
Added mass mat	rix	(none) ···

Figure 22.32. ICE crankshaft body

The program identifies a body as a shaft if the "ice" text attribute of C type is assigned to the body, Figure 22.32. An example of a rotation joint is shown in Figure 22.33. The joint force of the *Expression* type parameterizes the engine torque acting on the shaft. It is recommended to use the standard identifier **ice_torque** for parameterization of the torque.

NamejiC	E rotor		-1-5	\$ <u>\$</u>	<u>a</u> 5 ₹
Body1		Body	2		
Car bod	ly fix	✓ ICE s	shaft		-
Туре 🏼	k Rotational				•
Geome	etry Descrip	otion Jo	int for	ce	
ань Ехр	ression				-
-Descri Pascal	iption of force /C expressio	e on: F=F(x;	v.t)		
Exam -cstiff	ple: *(x-x0)-cdiss*	*v+ampl*:	sin(on	n*t)	
F= io	ce_torque				P

Figure 22.33. Joint specifying the shaft rotational degree of freedom

22.3.3. Setting engine parameters in UM Simulation program

In simulation of a car model, the ICE parameters are specified on the **Road Vehicle** | **Transmission** | **ICE** tab of the simulation inspector, Figure 22.34.

Object simulat	tion inspector			C	Object si	mulation	inspector					
Solver	Identifiers	Initial c	onditions		Soh	ver	Identifi	ers		Initia	l con	ditions
Object variable	s Information	Road vehic	de Tools		Object	variables	Informa	tion	Ro	ad vehic	:le	Tools
i 🕹 🔛 🖂 🗳					📤 🔲 🗖	2 🔺 Ы						
Units	Tyres C	ptions	Tools		Unite	6	Tyres		Optio	ons		Tools
Identification	Tests Trans	mission	Resistance		Identifi	cation	Tests	Tra	ansmis	sion	Re	esistance
ICE Gea	rbox Clutch Br	aking ABS	3		ICE	Gearbox	Clutch B	raking	ABS	S		
🔺 🔛 🔤					ے چ	M						
Engine map	ICE parameters]			Engine	map ICE	E parameters					
Type of engi	ine				Туре	of engine						
No	💿 Spark ign	ition 🔘 Die	sel		No	-	🔘 Spa	rk ignit	ion	💿 Die	sel	
One-speed	d governor				Gover	nor type						
ICE paramet	ers				OTw	o-speed		۲	All-sp	eed		
N strokes		4			-ICE ne	rameters						
N cylinders		4			N strok	es			4		1	
Capacity, L		1.5			Nevlin	ders			8			
Piston stroke	(mm)	80			Canac	ity I			10.85			
Compressior	n ratio	9.3			Dictor	ny, E stroko (mr	<i>n</i>)		120			
Min speed (r	om)	800			Compr	anoke (ini aaaian kat	in) io		120			
Power (kW)		51.5			Compr	ession rai	10		17			
Power speed	l (rpm)	5400			Min sp	eea (rpm)			000 154			
Max torque (1	Nm)	103			Power	(KW)			154			
Max torque s	peed (rpm)	2700			Power	speed (rp	m)		2600			
Torque form	factor a	1			Max to	rque (Nm)			667			
Torque form	factor b	1			Max to	rque spee	d (rpm)		1600			
Torque form	factor c	1			Torque	e form fact	ora		0.8506	7381		
Map form fac	tor	0.5			Torque	e form facti	orb		1.1493	262		
EMEP param	eter píl (MPa)	0.045			Torque	e form fact	orc		1			
EMEP param	ieter p1 (MPa s/m)	0.015			Map fo	rm factor			1			
Maximal sne	ed droon %	, 0.010 6			FMEP	paramete	r p0 (MPa)		0.105			
Minimal spee	d droop (diesel)	× 20			FMEP	paramete	rp1 (MPas/m	1)	0.013			
					Maxim	al speed o	droop, %		6			
					Minime	al speed d	roop (diesel),	%	20			
n* 400					Compu	ite full load	l torque curve)		V1		V2

Figure 22.34. ICE parameters for spark ignition and diesel engines

Buttons in the top of the ICE tab 4 \blacksquare \blacksquare are used to

- save ICE parameters in a *.ice text file;
- read ICE parameters from a *.ice text file;
- draw torque map in a graphic window, Sect. 22.3.1.4.

ICE parameters tab contains the following elements.

- Selection of type of engine.
- Setting governor type, Sect. 22.3.1.5.
- List of numeric parameters, specifying the engine:
 - Number of strokes $m_{\rm str}$;

- Number of cylinders m_{cyl} ;
- Capacity V_h ;
- Piston stroke l_{str} ;
- Compression ratio;
- Minimal engine speed n_{\min} ;
- Engine output power N;
- Output power speed n_N ;
- Maximal torque M_{max} ;
- Maximal torque speed n_M ;
- Form parameters a, b, c for analytic full load torque curve, Sect. 22.3.1.2; in case of a diesel engine, the parameters can be either set directly or computed by click on the V1 or V2 buttons;
- Map form factor s, Sect. 22.3.1.4.2, 22.3.1.4.3;
- Free parameters p_0, p_1 , Sect. 22.3.1.3;
- Minimal (diesel) and maximal speed droop in governor model, Sect. 22.3.1.5.
- Special engine speed **n*** used in the analytic torque map in case of spark ignition engine, Sect. 22.3.1.4.2.
- Buttons **V1** (Variant 1) and **V2** (Variant 2) for evaluation parameters of the diesel full load torque a, b, c, Sect. 22.3.1.2.

Engine man	ICE parameters		Engine map	ICE parameters					
Type of des	cription	ts	Type of des Analytica	Type of description Analytical					
	Compute friction		Compute friction						
dentifiers	•		Identifiers						
Name	Identifier	Value	Name	Identifier		Value			
	Cer Drivoling ico, to		ICE torque	Car.Driveline.ice_t	orque	0			
Numeric par	ameters		Numeric par	ameters	Value				
Name		Value	Name		value				
ICE transient	time constant, c	0.1	ICE transient	time constant, c	0.1				
Torque lost r	parameter a	5.3714793	Torque lost p	arameter a	13.3690)15			
Torque lost r	arameter h	0.045594533	Torque lost p	arameter b	0.04214	49612			
Idle rom (ens	ark ignition engine)	850	Idle rpm (spa	rk ignition engine)	850				
idie ipm (spe	rk ignition engine)	000	Engine map: Beta 1,0.79,0	[].76,0.49,0.37,0.24,0.1	Number o	of lines 8 🔛			
			Map inclu	des triction					

Figure 22.35. Engine map parameters

Engine map tab contains the following elements.

• Selection of type of map description: *Analytical* (Sect. 22.3.1.4.2, 22.3.1.4.3) or *Plots* (Sect. 22.3.1.4.1).

- Button **Compute friction**: click the button to compute the torque lost parameters $M_{\text{fa}}, M_{\text{fb}}$ according to the fmep parameters p_0, p_1 , Sect. 22.3.1.3, Figure 22.34.
- Identifier, parameterizing the engine torque in the UM model of vehicle (ice_torque in Figure 22.35), Sect. 22.3.2.
- List of numeric parameters:
 - ICE transient time constant τ_{β} , i.e. the lag in throttle reaction on the pedal position change, Sect. 22.3.1.5.3;
 - Parameters M_{fa} , M_{fb} in the model of torque lost, Sect. 22.3.1.3; the parameter can be set directly or computed according to the fmep parameters p_0 , p_1 by the Compute friction button;
 - Idle engine speed without load (spark ignition engine) n_0 , Sect. 22.3.1.5.3.
- Group of elements for description of engine map by plots, Sect. 22.3.1.4.1:
 - Engine map: click on the button call the curve editor for pointwise description of the torque curves, Figure 22.23. See the user's manual <u>Chapter 3</u>, Sect. 2D curve editor. It is recommended to use a spline interpolation of torque curves. Curves must be ordered in decrease of the throttle position.
 - \circ Box **Beta** contains values of throttle positions 1÷0 for each of the torque curves.
 - Check **box Map includes friction** must be checked if the torque value includes the torque lost to friction.

22.4. Simulation of road and tracked vehicle transmissions

In this section we consider methods for development of transmissions (or drivelines) of road and tacked vehicles with UM. The model includes ICE and mechanisms for traction transmission with hydraulic and mechanical force elements. Transmission control is executed with the help of the parameterization of the force elements, e.g. the value of braking torque, and with adding special controlling identifiers such as the gearbox position, the position of accelerator, brake, clutch pedals and so on.

22.4.1. Transmission model as included subsystem

	Name:	D	riveline		+	Ð	Û
	Type:		include	ed			-
	Comm	nent	ts/Text at	tribute C			
⊿ · 💿 Object	driveli	ine					
🛛 🧔 Object							
				Edit subsyst	em		
F Variables					1		
^{ab} Attributes	Gener	al	Position	Identifiers			
Subsystems Driveline	Identif	fier:		Subs1			
⊳	Sho	ow s	scene				

Figure 22.36. Driveline as included subsystem

It is recommended to develop a driveline as an included subsystem marked with the driveline text attribute, see Figure 22.36, right. With this method, the shift of existing transmissions to new vehicle models becomes easier. In particular, this principle is used for development of UM database of standard transmission and steering system of tracked vehicles (TV).

The common elements of drivelines are an ICE and a clutch or a hydraulic apparatus, which transmit the driving torques from ICE to the gearbox.



Figure 22.37. Example of transmission with Clutch-Brake steering mechanism

Driveline images in UM are simplified similar to Figure 22.37. The driveline element models are simplified as well. For example, a gear box or a final drive is modeled by force elements, which converts rotation. The model of such the element is specified by the transmission ratio, stiffness and damping constants, efficiency factor, Sect. 22.2.1.1. *Mechanical rotation converter*, 22.2.2.1. *Data input for mechanical rotation converter*. If necessary, the user can develop a detailed model of some assemblies with gearing wheels.

22.4.2. Brakes and friction clutches

A frictional scalar force elements are used for modeling the brakes and friction clutches, see (see. <u>Chapter 2</u>, Mechanical system as an object for modeling, file UM_Technical_Manual.pdf, Sect. *Types of scalar forces | Friction force*).

A friction clutch connects/disconnects two rotational elements (bodies) of a transmission, whereas a brake decreases the rotational speed of one body relative to another one, which usually does not rotate (for instance, a car body of a TV hull). That is why the brake is modeled as a *joint torque* acting on the rotational degree of freedom, and the clutch is considered as a *scalar torque*, see <u>Chapter 2</u>, Sect. *Joint forces and torques, Scalar torque*.

Another difference consists in the following consideration. Friction torque in a brake is variable and depends on the brake pedal stroke. In the case of a friction clutch the torque value is a given value. This difference requires different methods in parameterization of friction torques. In the case of a brake, an identifier is introduced for the torque value, and this identifier is used in the brake control. In the case of a friction clutch, the friction torque is the product of the sticking torque and a control identifier, which unit/zero values corresponds to the engagement/disengagement state of the clutch; a smooth change of the controlling identifier results in an gradual change of the torque, a stepwise change corresponds to an instantaneous switching the clutch.

22-48

Name:	jWheel RL	+	(\bigtriangledown
Body1:		Body2:		
Rear-ax	e assembly left	▼ Wheel R	L	-
Type:	< Rotational			•
Geomet	ry Description	Joint force]	
tist	of forces			•
sbFrc1				
Name:	sbFrc1		+ 🕩	Î
Comm	ents/Text attribu	te C		
🚍 Fri	ctional			•
Friction	torque	rear_left_b	rake_torque	C
Ratio (f	f0/f):	1		C
Stiffnes	ss coef. (c):	cbrake		С
Dampin	g coef. (d):	dbrake		С

Figure 22.38. Brake model for wheel of a car

Brake model as a joint torque for the left rear wheel of a car is shown in Figure 22.38. The identifier *rear_left_brake_torque* parameterizes the torque value, see Sect. 22.4.3 *Automotive brake model*.

	1					
		Name:	Steering clutch	right	+ 🕩	Î
		Comme	ents/Text attribu	ite C		
		Body 1:		Body2:		
		Input sh	aft	 Steering s 	haft right	-
		✓ Autoc	letection			
	ļ	Position	Description			
		tist List	t of forces			•
F(X) Variables	*	sbFrc1	ī			
^{ab} Attributes					. 6	÷
Subsystems		Name:	sb+rc1		+ (+)	
⊳ - 5 7 Bodies		Com	nents/Text attril	bute C		
⊳ Joints						
Bipolar forces	=	🚍 Fr	ictional			•
Steering dutch left		T-i-H-		ومحمد وليتم وتباور والمعروب		
····· 👯 Steering clutch right		Friction	n torque	ciutcn_side_torqu	le~turn_right	
Sunwheel left brake		Ratio ((10/1):	1.2		
Sunwheel right brake		Stiffne	ss coef. (c):	cbrake		C
		Dampir	ng coef. (d):	dbrake		C

Figure 22.39. Model of friction clutch

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The model of a right friction clutch of a TV steering system as a scalar torque is shown in Figure 22.39. The *clutch_side_torque* identifier parameterizes the maximal torque value. The engagement/disengagement of the clutch is executed by the controlling identifier *turn_right*. If *turn_right*=1, the right turn of the tracked vehicle occurs. The value *turn_right*=0 disengages the clutch.

Remark. Rotation axis of bodies connected by a friction clutch should be parallel, otherwise the model work will be incorrect.

22.4.3. Automotive brake model

Se	lver		Iden	tifiers	_		Initial con	ditions	
Object v	ariables	XVA		Inform	ation	Road	/ehicle	Tools	
≥ • 8	• <u>}</u>								
Units	Tires	Op	ptions and	parame	eters	Tools	Id	entification	
Tests		Transmi	ssion		Resis	tance	S	canning	
ICE Gear	box Brakin	9 ABS	Clutch i	Driver	Initial o	onditions			
Identifiers									
Name			Identifier						
Front left bra	ake torque		Car.front	_left_b	rake_tor	que			
Front right b	rake torque		Car.front	right	brake_to	rque			
Rear left bra	ke torque		Car.rear	Car.rear left brake torque					
Rear right br	ake torque		Car.rear	Car, rear right brake torgue					
_									
Numeric para	meters								
Name				Value					
Brake system	Brake system lag (ms)					200			
Front brake	er (Nm/N)		2						
Rear brake p	Rear brake pedal amplifier (Nm/N)								
Max, hand b	rake torque	(Nm)		300					

Figure 22.40. Automotive brake parameters

To control the car braking process, identifiers parameterizing the brake torque for each of the wheels should be selected like in the window shown in Figure 22.40. It is recommended to use the standard identifiers from Figure 22.40 in description of the braking forces, see Figure 22.38.

Consider the brake torque M_i for wheel *i*. The desired brake torque M_i^* depends on the force applied to the brake pedal F_b

$$M_i^* = k_i F_b$$

where k_i is the amplifiers, which can be different for the front and rear wheels, see Figure 22.40. To take into account some delay between pressing the brake pedal and the brake reaction, the **Brake system lag** parameter T_b is introduced so that the brake torque M_i is computed from the differential equation

$$T_b \frac{dM_i}{dt} + M_i = M_i^*.$$

The brake pedal force is obtained from the transmission control, see Sect. 22.4.7. *Transmission control*. In addition, the ABS can affect the torque value, see Sect. 22.4.6 *Anti-lock braking system (ABS)*.

22.4.4. Torque transfer from engine to gearbox: friction clutch and hydraulic apparatus

		· · · · · 6						
Name: Clutch	+ 🕩	Î						
<u>Comments/Text attribut</u>	e C							
clutch_coupling								🕅
Body1:	Body2:		Name:	Torque	e converter	+	Ð	Î
ICE	Clutch	•	Comme	nts/Te	t attribute (0		
Autodetection			fluid_c	oupling				
Position Description			Body 1:			Body2:		
👯 List of forces		•	ICE		-	Clutch		-
sbFrc1			Type:	🕽 Hydr	aulic torque	converter		•
Name: shErc1		Ê	Joint 1:	jICE rot	tor			
Name, spirer	T (T)		Joint 2:	jClutch				
Comments/Text attribu	ute C		Data ty	/pe		@ M		
			© MI, I	ME		Мі, еп.		
Frictional		•	 Mi, I Mt, 	к К		🖱 Mt, еп.		
Friction torque	dutch_torque	C	Factor:		sqr(30/pi)*r	o*Da^5*(1.0e	:-5)	С
Ratio (f0/f):	1.2	С	Curve 1		Number of p	ooints: 11		55
Stiffness coef. (c):	cbrake	С	Curve 2	:	Number of p	ooints: 11		~~~
Damping coef. (d):	dbrake	C	\square					

Figure 22.41. Force elements modeling friction clutch and torque converter

Either friction clutch of hydraulic apparatus are used for modeling the transfer of torque from ICE to transmission, Figure 22.41.

Friction clutch is modeled by a scalar torque, Sect. 22.4.2. "Brakes and friction clutches", c. 22-47. The text attribute *clutch_coupling* should be assigned to the element, Figure 22.41 left, and the torque must be parameterized by an identifier, which default and recommended name is *clutch_torque*. This identifier is used by UM for setting the torque value depending on the clutch pedals position.

Solver	Identifie	ers Initial conditions			ons	Object variable		
XVA	Info	rmation		Roa	d vehicle	•		Tools
≥ - 🖻 - ∮	Ξī.							
Units Tires	Option	s and para	meters	Tools		Identific	ation	Tests
Transmissio	n		Resistanc	e			Scannin	g
ICE Gearbox Br	aking ABS	Clutch	Driver Ini	ver Initial conditions				
Identifiers	- 1							
Name	Identifier				Value			
Clutch torque	Car.Drive	line.dutch	_torque		120			
Numeric parameters								
Name		Value						
Maximal shikely know	- (h))	100						

Figure 22.42. Friction clutch parameters in UM Simulation

Before start of the simulation, the user should select on the **Clutch** tab the identifier, which parameterizes the friction torque. The maximal friction torque must be set as well, Figure 22.42.

	Transmis	ssion			Resista	nce		Scanning	
ICE	Gearbox	Braking	ABS	Driver	Initial con	ditions			
Conne Clu	c tion ICE wi	ith gearbo	x		۲	Hydraulic a	apparatus		
Modes PN Numbe	of automat RD OD r of gears	ic transmi OD_Off 5	ssion f S L						
Autom	atic transmi ìers	ssion sche	edule						è
Name					Identifier				
Gear r	atio				Car.Drivel	ine.gearbo	x_ratio		
Efficie	ncy								
Stiffne	ss								
Transr	nission ratio	(km/h) /	(rmp)						
Gearb	ox paramete	ers							
Gear		i12		f	к		vMin	vMax	
Rever	se	-3.520)	1	1	E8			
I		3.636		1	1	E8			
II		1.960		1	1	E8			
III		1.357		1	1	E8			+
•								•	

Figure 22.43. Type of engine/gearbox connection

A hydraulic apparatus is either a torque converter (Sect. 22.2.1.4. *Hydrostatic drive*), or a fluid coupling (Sect. 22.2.1.2. *Fluid coupling*). In contrary to the friction clutch, the hydraulic

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apparatus if not a driver controlled element. The description of the element in the UM Input must include the identifying text attribute *fluid_coupling*, Figure 22.41.

If a hydraulic apparatus in presented in a model of a road vehicle as an element connecting the ICE and the gearbox, the program detects an **automatic gearbox**.

UM Simulation program uses the text attributes of force elements *clutch_coupling* and *flu-id_coupling* for automatic detection of the coupling type between the engine and the gearbox and represents it on the Gearbox tab, Figure 22.43.

As a rule, models of transmissions of tracked vehicles included in UM database mostly contain both the friction clutch and hydraulic apparatus. In this case the user can select the necessary coupling type on the **Gearbox** tab, Figure 22.44. The disabled element is ignored.

Options	Transmission	Resistance Too	ols Ider	ntification	Tests	
ICE	Gearbox Ste	ering mechanism	Braking	Main frict	ion clutc	h
Connect Occurrent	ction ICE with g tch	earbox) Hydr	aulic app	paratus
Number Automa	r of gears 4 atic transmission	n schedule				<u>ě</u>
Identifi	ers					
Name			Iden	ntifier		
Gear ra	atio		Driv	eline.gearb	ox_ratio	2
Efficier	nev		Driv	eline.gearb	ox effic	tiencv
ICE	Gearbox Ste	ering mechanism	Braking	Main frict	ion clutcl	h
Connec	tion ICE with g	earbox				
Clut	:ch			O Hydr	aulic app	paratus
Number	ofgears 4					

Figure 22.44. Selection of ICE/gearbox coupling type

22.4.5. Gearbox

Name:	Gearbox		+ 🕩	Î
Comme	ents/Text attribut	e C		
gearbo	ж			
Body 1:			Body2:	
Clutch		•	Annulus assembly	-
Type:	Mechanical cor	nvert	ter of rotation	•
Joint 1:	jClutch			
Joint 2:	jAnnulus assembl	у		
Ratio <mark>(</mark> i1	2):	rot	ation_sign*gearbox_ratio	C
Stiffness	s coef. (c):	gea	arbox_stiffness	С
Damping	coef. (d):	gea	arbox_damping	С
Efficience	y:	gea	arbox_efficiency	С

Figure 22.45. Force element modeling gearbox

A simplified model of the gearbox is presented by the force element **Mechanical converter of rotation**, Sect. 22.2.1.1 *Mechanical rotation converter*, Figure 22.45.

Successful automatic identification of the element requires setting the text attribute *gearbox*, like in Figure 22.45.

It is recommended to use the parameterization of the element parameters by the default identifies

- gearbox_ratio,

- gearbox_stiffness - stiffness constant, (Nm/rad),

- gearbox_efficiency.

The two last identifiers allow changing the gearbox stiffness and efficiency in dependence on the gearbox ratio. If the user do not plan to change the values of these parameters, numerical values can be set directly.

The *rotation_sign* identifies allows matching the correct rotation of the output shaft bysetting either +1 or -1 value, Figure 22.45.

22.4.5.1. Force element as gearbox model

Road vehicle Object variables XVA Information Tools -1 Units Tires Tools Options and parameters Transmission Identification Tests Resistance Scanning Gearbox Braking ABS Clutch Driver ICE Initial conditions Connection ICE with gearbox Olutch Hydraulic apparatus Number of gears 5 Automatic transmission schedule ß ĩ Identifiers Name Identifier Gear ratio Car.Driveline.gearbox_ratio Efficiency Car.Driveline.gearbox_efficiency Stiffness Car.Driveline.gearbox_stiffness Transmission ratio (km/h) / (rmp) Gearbox parameters f vMir i12 Κ Gear Reverse -3.520 0.97 35000000 I 3.636 0.97 35000000 Π 35000000 1.960 0.97 III 1.357 0.97 33000000 32000000 IV 0.941 0.97 ٧ 0.784 0.97 31000000 4

22.4.5.2. Setting gearbox parameters in UM Simulation

Figure 22.46. Gearbox parameters

The **Transmission** | **Gearbox** tab is used for setting the gearbox parameters in the **Object simulation inspector**, Figure 22.46.

The following data is set:

- Identifier for the gearbox ratio (required parameter),
- Identifier for gearbox efficiency (optional parameter),
- Identifier for gearbox stiffness constant (optional parameter),
- File with gear shifting curves: automatic transmission schedule (required for automatic gearbox),
- Number of gears (required parameter),
- Gear ratio for each of the gear (i12). Negative value is assigned for the reverse gear (required parameters),
- Numerical values for efficiency (f) and stiffness (K, Nm/rad) for each of the gears (required parameters if the corresponding identifiers are assigned in Figure 22.46).

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The default identifiers are assigned automatically, Sect. 22.4.5.1. "Force element as gearbox model", p. 22-53. If the user set non-standard identifiers, he should select them from the identifier list after double clicking on the corresponding box of the table.

22.4.5.3. File with gear shift schedule

The *.gss files (gear shift schedule) are used for gear shifting when the automatic gearbox is used as well as in the model of the longitudinal speed control. The file contains gear upshift and downshift curves for vehicle or engine rotor speed versus throttle position.



Figure 22.47. Upshift and downshift curves for engine rotor speed

Gear shift in dependence on the engine speed

In this simplified case, it is necessary to input two curves: the upshift speed (lower curve) and the downshift speed (upper curve) in dependence on the ICE throttle position, Figure 22.47.

Gear shift in dependence on the vehicle speed

The gear shift schedule in this case contains 2N-2 curves where N is the number of gears. The odd curves correspond to the gear downshift, and the even ones correspond to the gear upshift, Figure 22.48.

Curves in the file must be strictly ordered in the growth of speed. For example, for a gearbox with four gears the curves sequence must be 2->1, 1->2, 3->2, 2->3, 4->3, 3->4.





Figure 22.48. Upshift and downshift curves for car speed

The *.gss files are made with the tool **Gear shift schedule** on the **Tools** tab, Figure 22.49. The curves are entered with the curve editor, Figure 22.50.

Object simulatio	n inspector									
Solver	Identifiers		Initial condi	tions	Obj	ect variables		XVA		
	Information]	Road	Tools						
Units Tires	Options and parameters	Tools	Identification	Tests	Transmission	Resistance	Scanning			
🖙 🖪 🧕	ear shift schedule							•		
Name fo	ur-gear vehicle speed 1									
Abscissa type										
Time			۲	Distance						
Data input/edit Curves: 6										

Figure 22.49. Tool for making a file with the gear shift schedule



		+ +	1 Lir	ie	•		
150		N	x	Y	Туре	Smooth	ing
		Ģ≘ Cur					
-		- 1	0	8	Line	Yes	
IPA		2	0.5	8	Line	Yes	-
~		3	0.9	48	Line	Yes	=
-		- 4	1	48	Line	Yes	
-		🖨 Cur					
		1	0	16	Line	Yes	
		···· 2	0.25	16	Line	Yes	
		3	0.9	64.4	Line	Yes	
/		- 4	1	64.4	Line	Yes	
		🖨 Cur					
		- 1	0	32.2	Line	Yes	-
		<				•	
<u> </u>	.4 0.8				ОК	Cancel	

Figure 22.50. Making gear shift schedule

22.4.6. Anti-lock braking system (ABS)

Object simulation inspect	tor						
Solver		Identifiers	Initial conditions				
Object variables	XVA	Information	tion Road vehicle				
🗁 • 🖻 • 🙀							
Units Tires		Options and p	arameters	Tools			
Identification Tes	ts	Transmission	Resistance	Scanning			
ICE Gearbox Brakir	ng ABS	Clutch Drive	er Initial conditio	ins			
ABS type							
None		Slip co	ntrol				
Type of control							
All wheels	All wheels O Front wheel -rear axle						
Axial	Axial Separate wheels						
Numeric parameters							
Name		Value					
Desired slip (%)	Desired slip (%) 20						
Hydraulic lag (ms)	Hydraulic lag (ms) 150						
Pressure fall off (%) 100							
Minimal speed (km/h) 3							
Integration		Message		lose			
integration		message		liose			

Figure 22.51. ABS parameters

A simplified model of anti-lock braking system "Sliding control" is implemented in UM. Let s^* be a desired value of the wheel sliding at braking. Consider a case when the individual control for each of the wheel is realized. The ABS controlled parameter for *i*-th wheel is

$$k_i = \begin{cases} 1, s \leq s^* \\ 1 - k^*, s > s^* \end{cases}$$

where $k^* \in [0,1]$ is the parameter of the pressure fall-off for the active ABS. This means, the ABS is activated if the wheel sliding is greater than s* and disabled when it is less that s*.

The braking torque is computed by the formula

$$M_i = M_{i0} f_i,$$

where M_{i0} is the given value of the braking torque according to the brake pedal stroke (see Sect. 22.4.3 *Automotive brake model*), and f_i if the reducing factor satisfying the equation

$$T\dot{f}_i + f_i = k_i.$$

Here *T* is the hydraulic delay.

The described model is easily generalized on other types of ABS shown in Figure 22.51.

Parameters of the model are shown in Figure 22.51. ABS is disabled if the speed is less than the minimal one.

22.4.7. Transmission control

For methods are used in UM for transmission control of road and tracked vehicles.

- External control with the **UM Com Server** library. This type of control is used mainly fin development of road vehicle simulators. See details in the user's manual, Chapter 20, file 20_um_com.pdf, Sect. *Interfaces for simulator of road vehicles*.
- Control panel in the **Simulator** test of road vehicle.
- Identifier control.
- Automatic control with internal driver model (in development).

22.4.7.1. Control panel

Object simulation	inspector						
Solver	Identif	iers	Initi	al conditions		Object variables	
XVA	Infe	ormation	Road vehicle			Tools	
🗁 - 🖽 - 🛓							
Transm	Transmission Resistance Scanning						
Units Tir	es Optio	ns and parame	ters	Tools	Identification		Tests
Car simulator 🔹							
Parameters Variables							
Use irregularities							
Control panel							

Figure 22.52. Test type: Simulator

When the **Car simulator** test type is selected, the control panel becomes available after click on the corresponding button, Figure 22.52. The panel is used for the mouse control of the road

and tracked vehicles, Figure 22.53, Figure 22.54. The user can turn on and off the ignition, brakes, steer the vehicle and so on.

<mark> 70</mark> Dr	🗓 Driving the car								
Steer	Steering wheel								
1									
Ignitic	on								
O	ff					C	On		
Pedal	s					Han	d brake	Gear	box
Clu	tch	В	rake	Thr	ottle	-	-		
-	-	-	-	-	-	-	-	() F	د ۱
-	-	-	-	-	-	-	-	i o	
						-	-	I	I
-	-	-	-	-	-	-	-	0 1	II
-	-	-	-	-	-	-	-		V /
-	-	-	-	-	-	-	-	480	,
-	-	-	-	-	-	-	-	ABS	
-		-	-	-	-	-	-	St	teering on
	-		_)-		-	П	re blowout
		_					-		

Figure 22.53. Control panel for a car

1000		x
		_
🔘 On		
Gearbox	Steering	
ottle	🔘 No 🛛 🔘 Left 🔘 Rig	ght
© R	Brake	
- (© N		-
-		
- © I		
. © II		
 		1 1 1
)- () IV		
	© On Gearbox © R © R © N © I □ I □ II © III © III © IV	On Ottle OR OR

Figure 22.54. Control panel for a tracked vehicle

22.4.7.2. Identifier control

Solver Identifiers Initial conditions Object variables XVA Information Road vehicle Tools Image: Transmission Resistance Scanning Units Tires Options and parameters Tools Information Resistance Scanning Units Tires Options and parameters Tools Information Resistance Scanning Units Tires Options and parameters Tools Identification Tests Parameters Identifiers	
XVA Information Road vehicle Tools Image: Second se	
Transmission Resistance Scanning Units Tires Options and parameters Tools Identification Tests Driveline control identifiers	
Transmission Resistance Scanning Units Tires Options and parameters Tools Identification Tests Driveline control identifiers Parameters Identifiers Identifiers	
Transmission Resistance Scanning Units Tires Options and parameters Tools Identification Tests Driveline control identifiers Parameters Identifiers Identifiers	
Units Tres Options and parameters Tools Identification Tests Driveline control identifiers Parameters Tools Tests Tests	
Driveline control identifiers Parameters	-1
Parameters	•
1 1 10	
Identitiers	
Name Identifier	
Foot throttle position Car.throttle_position	
Gearbox position Car.gearbox_position	
Clutch pedal position Car.clutch_position	
Brake pedal position Car.brake_position	
Object simulation inspector	
Solver Identifiers Initial conditions Object variables	
XVA Information Tools Tracked vehicle	
Ontions Transmission Resistance Tools Identification Tests	
	_
Parameters	
Identifiers	
Name Identifier	
Foot throttle position throttle_position	
Gearbox position gearbox_position	
Clutch pedal position dutch_position	
Brake pedal position brake_position	
Position of left steering brake pedal	
Position of right steering brake pedal	
Steering control turn_factor	

Figure 22.55. Identifiers for control of road and tracked vehicles

A set of identifiers is used for the control of a road or a tracked vehicle. These identifiers must be added to the list of identifiers in UM Input. If a TV transmission from the UM database is used, the identifiers are added automatically.

The list of identifiers for the transmission control is (the default identifiers are shown in Figure 22.55):

- Throttle position, the numerical value should belong to the interval [0, 100%]
- Gear position: -1 (R), 0 (N), 1 (the first gear) and so on
- Clutch pedal position, interval [0, 1]
- Brake pedal position, the value is zero or positive. The brake torque is zero for the null value of the identifier. Identifier value 1 corresponds to 8kN force acting on the pedal. The

braking torque is the product of the force acting on the pedal and the gain factor specified by the user.

Additional identifiers for the TV control:

- Positions of the left and rights brakes (if presented).
- Steering parameter, value belongs to the interval [-1, 1]. Zero value corresponds to the straight motion, negative and positive values correspond to the left and right turn. In the case of a hydrostatic drive the parameter is changed continuously otherwise it takes the discrete values -1, 0, 1.

The control is created with the tool **Identifiers** | **Identifier control** in the Object simulation inspector, Figure 22.56.

Object simulation inspector								
XVA	Information	Tools	Tracked vehicle					
Solver	Identifiers	Initial conditions	Object variables					
List of identifiers Identifier control								
Identifier	Comment							
V brake_position	Braking	Braking						
✓ turn_factor	Right turn t=1s	Right turn t=1s						

Figure 22.56. List of indentifier controls

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